Extensions of CEDFT relevant for SHN

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In Collaboration with P. Ring (Munich), V. Tselyaev (St. Petersburg)



I. Covarant energy density functional (CEDF) theory (P.Ring et al.) The nuclear fields are obtained by coupling the nucleons through the exchange of effective mesons through an effective Lagrangian. (J*,T)=(0+,0) (J*,T)=(1-.0) (J*,T)=(1-,1)

 $V(\mathbf{r}) = g_{\omega}\omega(\mathbf{r}) + g_{\alpha}\vec{\tau}\vec{\rho}(\mathbf{r}) + eA(\mathbf{r})$

Rho-meson: isovector field

E[R] (7-9 parameters)

Omega-meson:

short-range repulsive

Self-consistent **Extensions**

 $S(\mathbf{r}) = g_{\sigma} \sigma(\mathbf{r})$

Sigma-meson:

attractive scalar field

Nuclear Response: (Excitation)

spectra of collective and noncollective nature

II. "Correlations": Quasiparticle-vibration Coupling derived SC by field theory technique (Extensions of Landau-Migdal theory)

years experience

Last 3 years



Single-

particle

motion:

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E[R] (7-9 parameters)

Self-consistent

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years experience

several groups!



- A. Bohr, B. Mottelson (idea)
- V. G. Soloviev et al. (Dubna)

S. Kamerdzhiev, V. Tselyaev et al. (Obninsk)

G. Bertsch, P.-F. Bortignon, R. Broglia et al. (Milano)

Maxaux et al. (Brussels)

J. Speth et al. (Julich)

N. Van Giai et al. (Orsay)

P. Ring et al. (Munich)

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The nuclear fields are obtained by coupling the nucleons through the exchange of effective mesons through an effective Lagrangian. $\int_{(J^*,T)=(0^*,0)} \int_{(J^*,T)=(1^*,0)} \int_{(J^*,T)=(1^*,1)} \int_{(J^*,T)=(1^*,1)} S(\mathbf{r}) = g_{\sigma}\sigma(\mathbf{r}) \qquad V(\mathbf{r}) = g_{\omega}\omega(\mathbf{r}) + g_{\rho}\vec{\tau}\vec{\rho}(\mathbf{r}) + eA(\mathbf{r})$

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J. Speth et al. (Julich)

E. Litvinova, V. Tselyaev, PRC (2007): Generalized to superfluid nuclei, Implemented numerically including continuum

I. Covarant energy density II. "Correlations": Quasiparticle-vibration functional (CEDF) theory (P.Ring et al.) Singleparticle The nuclear fields are obtained by coupling motion: the nucleons through the exchange of effective mesons through an effective Lagrangian. (J*,T)=(0+,0) Nuclear (J*,T)=(1-,0) (J*,T)=(1-,1) $V(\mathbf{r}) = g_{\omega}\omega(\mathbf{r}) + g_{\alpha}\vec{\tau}\vec{\rho}(\mathbf{r}) + eA(\mathbf{r})$ $S(\mathbf{r}) = g_{\sigma} \sigma(\mathbf{r})$ Response: Sigma-meson: Omega-meson: Rho-meson: isovector field attractive scalar field short-range repulsive (Excitation spectra of E[R] (7-9 parameters) collective and noncollective nature Self-consistent **Extensions**

 \sim 30 publications since 2006

Coupling derived SC by field theory technique (Extensions of Landau-Migdal theory) years experience several groups!

Last 3 years

Quasiparticle-vibration coupling:

Pairing correlations of the superfluid type + coupling to phonons



Damping of Giant Dipole Resonance: Beyond relativistic QRPA



Many successful applications to various types of giant resonances

From spreading widths to transport coefficients?

Other ingredients for reaction theory?

E. Litvinova, P. Ring, and V.Tselyaev, Phys. Rev. C 78, 014312 (2008)

Isospin structure of low-lying dypole strength

Experiment: J. Endres, D. Savran, A. Zilges et al.

Theory: Relativistic quasiparticle time blocking approximation



J. Endres, E. Litvinova, D. Savran et al., PRL 105, 212503 (2010)

E. Litvinova, P.Ring, V.Tselyaev, PRL 105, 02252 (2010) (two-phonon diagrams included)





Shell evolution in superheavy Z = 120 isotopes: Quasiparticle-vibration coupling (QVC) in a relativistic framework

- 1. Relativistic Mean Field: spherical minima
- 2. π : collapse of pairing, clear shell gap

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- 3. v: survival of pairing coexisting with the shell gap
- 4. Very soft nuclei: large amount of low-lying collective vibrational modes (~100 phonons below 15 MeV)

Vibration corrections to binding energy (RQRPA)

$$E_{VC} = -\sum_{\mu} \Omega_{\mu} \sum_{k_1 k_2} |Y_{k_1 k_2}^{\mu}|^2$$

Vibration corrections to α -decay Q-values



Shell stabilization & vibration stabilization/destabilization (?)

E.L., PRC 85, 021303(R) (2012)

Dominant neutron states in Z = 120



- The concept "CEDF + vibrational correlations": only ~ 4 years of experience, but many successful applications to nuclear structure.
- Provides collective excitations, single-quasiparticle structure. Nuclear response function (includes damping mechanisms microscopically) can (potentially) help for description of fusion dynamics.

Outlook

- Coupling to rotational degrees of freedom: an extension to deformed case is in progress. CEDFT is already working very well in SH mass region at the mean field level for fission barriers (A. Afanasjev), alpha-decay Q-values (G. Lalazissis), as GCM for low-lying states (T. Niksic, V. Prassa, D. Vretenar) etc., so we expect only improvements.
- The approach is stable, microscopic, self-consistent, universal (8 universal parameters), the correlations are taken into account by the diagrams. There are 100's of diagrams, but the basic techniques are well developed.
- Room for improvements: next-order diagrams for fine effects, "better" functionals.